

Challenges in Motion Prediction for Autonomous Driving Yi Yang, KTH, Scania AB EECS, Division of Robotics, Perception and Learning

1. Hard Cases Detection in **Motion Prediction by Vision-**Language Foundation Models

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"nighttime driving and wet road surfaces, which can affect visibility and vehicle behavior. The **reflections** and **glare** from the lights..."

Addressing hard cases is challenging! • Sparsity & high variability





Anomalous road users

- Extreme weather
- Complex traffic

- Existing method:
 - collect more real-world data? -> expensive!
 - synthetic data?
 - generate with deep generative models conditioned on specific needs
 - manipulate the 3D reconstructed environment, like moving/adding road users
 - -> require much human intervention!
 - Incremental learning? -> dependence on the network training!

Q:

Is there a more explainable and independent method available?

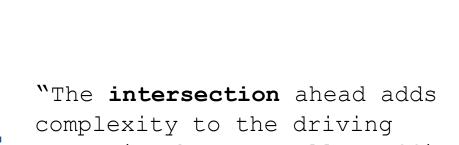












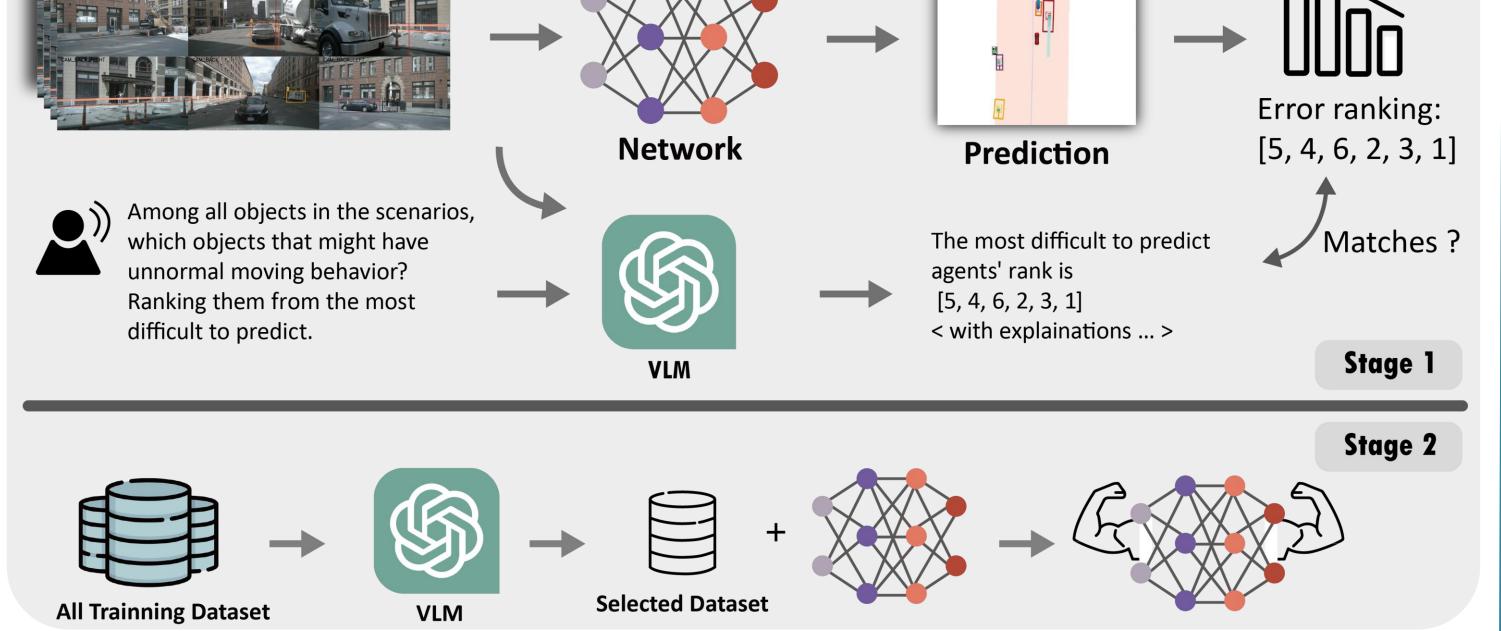
scenario, but overall traffic density is not high..."



"The traffic situation appears to be straightforward with light traffic and **clear** road markings..."

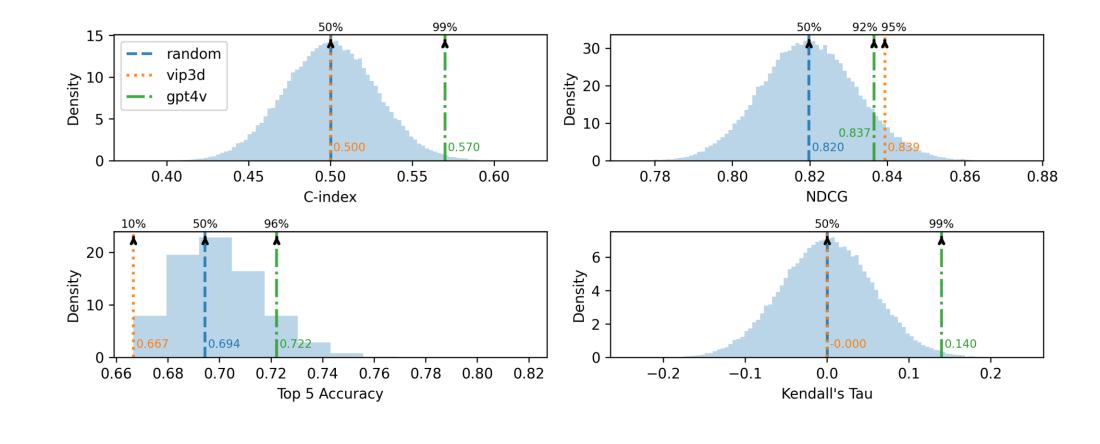
2. AutoScale: Combining Multi-Task Optimization with **Linear Scalarization**

"at an intersection... There is a large truck on the left that may obstruct the view and movement... increase the difficulty of prediction due to potential blind spots ..."



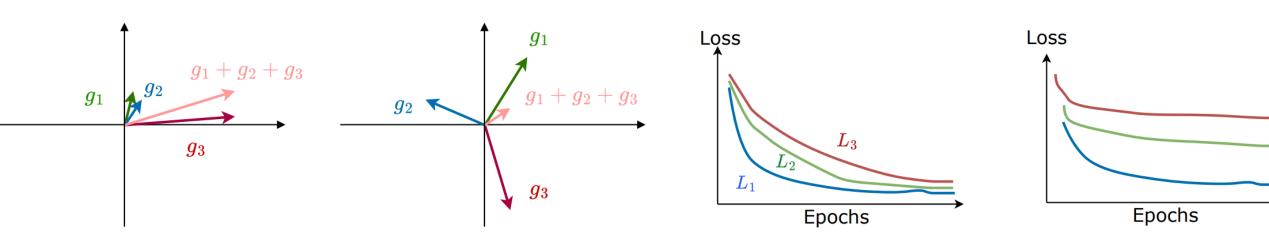
Stage 1: Agent-level

- **Verify** the ability of VLM to detect hard cases
- o using existing motion prediction NN as ground truth



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- There exists multiply MTL training issues!
 - Multi-objective learning: gradient & loss $\mathcal{L}(\boldsymbol{\theta}; \boldsymbol{w}) \equiv \sum \boldsymbol{w}_i \mathcal{L}_i(\boldsymbol{\theta}), \quad \boldsymbol{w} > 0, \quad \sum \boldsymbol{w}_i = 1.$



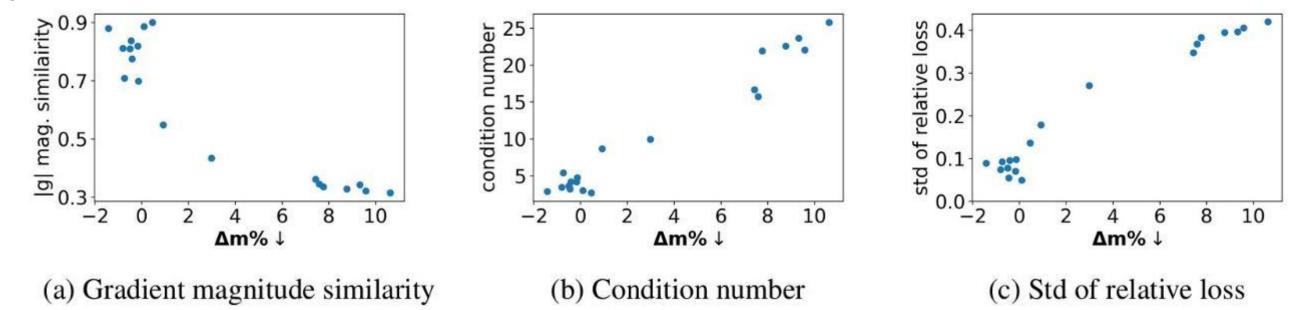
(a) Gradient dominance

(b) Gradient conflict

(c) Imbalanced convergence

(d) Imbalanced loss scale

Surprisingly, we find some metrics serve as good indicators of performance!



Stage 2: Scene-level • **Improve** training efficiency by training the network with a smaller subset of data selected by VLM.

Class		Vehicle		Pedestrain	
# Samples [Ratio%]		minADE	minFDE	minADE	minFDE
Whole	28130 [100]	0.71	1.02	0.82	1.11
Random	2000 [7.1] 1000 [3.6] 500 [1.8] 200 [0.7] 100 [0.4]	$0.82_{\uparrow 16\%}$ $0.93_{\uparrow 31\%}$ $0.97_{\uparrow 36\%}$	$1.45_{\uparrow42\%}$	$\begin{array}{c} 0.93_{\uparrow 13\%} \\ 0.92_{\uparrow 12\%} \\ 0.99_{\uparrow 21\%} \\ 1.03_{\uparrow 25\%} \\ 1.13_{\uparrow 38\%} \end{array}$	$1.29_{\uparrow 16\%}$ $1.42_{\uparrow 28\%}$
GPT-4v		$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	and the second secon	and the second	

- Given high performance -> optimal MTO metric values, we hypothesize that the reverse also holds: optimize MTO metric -> high performance. If so, we can localize the optimal task weights by optimizing the key metric value.
- We propose AutoScale, an efficient and practical two-stage pipeline that partitions a single training run into two phases. $w^* = \underset{w}{\operatorname{arg\,min}} \mathbb{E}[\mathbf{F}(w|\{\mathcal{G}\}, \{\mathcal{L}\})], \quad \text{s.t.} \quad \sum_{i=1}^{k} w_i = K,$

Optimal weight set Given set of gradient and loss K loss terms in total

• Here we test three cost function considering gradient magnitude similarity, loss similarity, and condition number.

